Using C, unrolling the loop 4 times:

```
for (i = 0 ; i< 25; i+=4) {
    a[i] = b[i]*c[i];
    a[i+1]=b[i+1]+c[i+1];
    a[i+2]=b[i+2]+c[i+2];
    a[i+3]=b[i+3]+c[i+3];
}
```



Part a) Integer addition followed by a dependent integer addition

- Example assembly code:

Instr1: R1 <- R2 + R3
Instr2: R4 <- R1 + R5

- Finding number of stalls required without bypassing:

Instr1: R1 value is produced in cycle 5 (written on register).
Instr2: R1 value is consumed in cycle 3 (read from register).
Thus, we need two stalls.

- Finding number of stalls required with bypassing (can use latch values):

Instr1: R1 value is available in Latch 4, end of cycle 3.
Instr2: R1 value is used in beginning of cycle 4 .
Thus, we need zero stalls.


Part b) Load, providing the address for a store

- Example assembly code:

Instr1: LD R1 <- [R2]
Instr2: ST R3 -> [R1]

- Finding number of stalls required without bypassing:

Instr1: R1 value is produced in cycle 5.
Instr2: R1 value is consumed in cycle 3.
Thus, we need two stalls.

- Finding number of stalls required with bypassing (can use latch values):

Instr1: R1 value is available in Latch 5 , end of cycle 4.
Instr2: R1 value is used to store it in address in R3 in beginning of cycle 5 .
Thus, we need 1 stall.


Part c) Load, providing the data for a store

- Example assembly code:

Instr1: LD R1 <- [R2]
Instr2: ST R1 $->$ [R3]

- Finding number of stalls required without bypassing:

Instr1: R1 value is produced in cycle 5.
Instr2: R1 value is consumed in cycle 3 .
Thus, we need two stalls.

- Finding number of stalls required with bypassing (can use latch values):

Instr1: R1 value is available in Latch 5 , end of cycle 4.
Instr2: R1 value is used to store it in address in R3 in beginning of cycle 5 .
Thus, we need zero stalls.


Part d) Integer addition providing the address for the store

- Example assembly code:

Instr1: R1 <- R2 + R3
Instr2: ST R3 -> [R1]

- Finding number of stalls required without bypassing:

Instr1: R1 value is produced in cycle 5.
Instr2: R1 value is consumed in cycle 3 .
Thus, we need two stalls.

- Finding number of stalls required with bypassing (can use latch values):

Instr1: R1 value is available in Latch 4, end of cycle 3.
Instr2: R1 value is used in beginning of cycle 5 .
Thus, we need zero stalls.

## Part a)

2-bit counter states:

$N$ - Branch not taken
$T$ - Branch taken
0 - Strongly not taken
1 - Weakly not taken
2 - Weakly taken
3 - Strongly taken

```
int a [ ] = { 1, 0, 1, 0, 0 };
while (1) {
        for (i = 0; i< 5; i++) {//BR1
                            if (a[i]==0) { //BR2
```

|  | For Loop Iteratn. \# | [BR1 Taken/Not Taken, BR 1 Counter value] | [BR2 Taken/Not Taken, BR 2 Counter value] |
| :---: | :---: | :---: | :---: |
|  | 1 | [ $\mathrm{T}, 1]$ | [ $\mathrm{N}, 0$ ] |
|  | 2 | [ $T, 2]$ | [ $\mathrm{T}, 1]$ |
|  | 3 | [T,3] | [ $\mathrm{N}, 0]$ |
|  | 4 | [T,3] | [T,1] |
|  | 5 | [T,3] | [T,2] |
|  | 6 | [ $\mathrm{N}, 2]$ | [-,2] |
|  | 7 | [T,3] | [ $\mathrm{N}, 1]$ |
|  | 8 | [T,3] | [T,2] |
|  | 9 | [T,3] | [ $\mathrm{N}, 1]$ |
|  | 10 | [ $\mathrm{T}, 3]$ | [ $\mathrm{T}, 2]$ |
|  | 11 | [T,3] | [ $\mathrm{T}, 3]$ |
|  | 12 | [ $\mathrm{N}, 2]$ | [-,3] |
|  | 13 | [ $T, 3]$ | [ $\mathrm{N}, 2]$ |
|  | 14 | [T,3] | [ $\mathrm{T}, 3]$ |
|  | 15 | [T,3] | [ $\mathrm{N}, 2]$ |
|  | 16 | [T,3] | [ $\mathrm{T}, 3]$ |
|  | 17 | [ $T, 3]$ | [T,3] |
|  | 18 | [ $\mathrm{N}, 2$ ] | [-,3] |
|  | $\ldots$ | $\ldots$ | $\ldots$ | respectively, we get:


| For Loop |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Iteratn. \# | $[\mathrm{BR} 1$ <br> Taken/Not <br> Taken, BR <br> 1 Counter <br> value] after <br> iteration | BR1 <br> Prediction | $[\mathrm{BR2}$ <br> Taken/Not <br> Taken, BR <br> 2 Counter <br> value after <br> iteration | BR2 <br> Prediction |
| 1 | $[\mathrm{~T}, 3]$ | correct | $[\mathrm{N}, 2]$ | mispredict |
| 2 | $[\mathrm{~T}, 3]$ | correct | $[\mathrm{T}, 3]$ | correct |
| 3 | $[\mathrm{~T}, 3]$ | correct | $[\mathrm{N}, 2]$ | mispredict |
| 4 | $[\mathrm{~T}, 3]$ | correct | $[\mathrm{T}, 3]$ | correct |
| 5 | $[\mathrm{~T}, 3]$ | correct | $[\mathrm{T}, 3]$ | correct |
| 6 | $[\mathrm{~N}, 2]$ | mispredict | $[-, 3]$ | - |

Part b)
$\square$ Explain local predictor. (Rajeev's slides)

11 branches were executed, with 8 correct predictions and 3 mispredictions. So success rate out of 10 branches is $(8 / 11)^{*} 10=7.27$.

## References:

http://www.cs.utah.edu/-rajeev/cs6810/
https://www.quora.com/CPUs-How-is-branch-prediction-implemented-in-mic roprocessors

